

1 **Title: Aortic root sizing for transcatheter aortic valve implantation using a shape model**
2 **parameterization**

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22 **Abstract:**

23 During a transcatheter aortic valve implantation, an axisymmetric implant is placed in an irregularly
24 shaped aortic root. Implanting an incorrect size can cause complications such as leakage of blood
25 alongside or through the implant. The aim of this study was to construct a method that determines
26 the optimal size of the implant based on the 3-dimensional shape of the aortic root. Based on the
27 pre-interventional computed tomography scan of 89 patients, a statistical shape model (SSM) of their
28 aortic root was constructed. The weights associated with the principal components of the SSM
29 served as a parametric description of each aortic root. These weights and the volume of calcification
30 in the aortic valve were used as parameters in a generalized linear model and a random forest
31 classifier. Both classification algorithms were trained using the patients with no or mild leakage after
32 their intervention. Subsequently, the algorithms were applied to the patients with moderate to
33 severe leakage. The random forest classifier was accurate in 96% of the training cases. 55% of the
34 patients with moderate to severe leakage were assigned a different size implant, 11 out of those 20
35 got one size smaller. The proposed method was capable of accurately and semi-automatically
36 determining an implant size, using a CT scan of the aortic root. Further research is required to assess
37 whether the different size implants would improve the outcome of those patients.

38 **Introduction**

39 Aortic valve stenosis is the most commonly acquired valvular heart disease in the elderly. Despite
40 advances in cardiac surgery and low mortality rates after conventional surgical aortic valve
41 replacement, up to one third of patients with symptomatic aortic valve stenosis are not considered
42 for valve replacement, often due to age, frailty or co-morbidities [Bose et al., 2007; Thourani et al.,
43 2011]. Transcatheter aortic valve implantation (TAVI) has been proven to be a reasonable alternative
44 for the treatment of aortic valve stenosis in elderly (very) high-risk patients [Kodali et al., 2012].

45 During the TAVI procedure an axisymmetric device is implanted in the patient's aortic root. In case of
46 the CoreValve devices (Medtronic Inc., Minneapolis, MN, USA), four sizes are available, they have a
47 23 mm, 26 mm, 29 mm or 31 mm bottom cross-sectional diameter respectively. The CoreValve size
48 range is used to treat patients with an annulus diameter between 18 mm and 29 mm [Holmes et al.,
49 2012]. The current planning procedure uses computed tomography (CT) images to size the annulus,
50 the ring formed by the bottom of each valve leaflet. The annulus diameter can be calculated based
51 on the perimeter, the cross-sectional surface area or the minimum and maximum diameter [Buzzatti
52 et al., 2013; Hayashida et al., 2012]. However, the aortic root and the implants are 3-dimensional
53 structures, the aortic root is rarely cylindrical and a suboptimal implant size can lead to complications
54 such as aortic regurgitation [AR] [Détaint et al., 2009; Jilaihawi et al., 2012].

55 Determining the size of the implant based on the 3-dimensional (3D) shape of the aortic root might
56 reduce complication and the observer dependency. Therefore, the goal of this research is to
57 construct a method with which the implant size can be accurately estimated based on a parametric
58 description of the 3D aortic root.

59 A statistical shape model (SSM) is a common method to generate a parametric description of a
60 population of 3D shapes. In this type of model, each shape is described as a deviation from the
61 average of the population along the principal components of variation. SSMs have multiple
62 applications in characterizing anatomical variability, for example, investigating the difference

63 between the brain anatomy of healthy people versus schizophrenics [Ferrarini et al., 2008] or
64 Alzheimer patients [Wang et al., 2013]. SSMs are also used to investigate the shape variation in bone
65 structures such as the human ear canal [Paulsen et al., 2002] and to reconstruct missing, malformed
66 or fractured bone structures [Ren et al., 2014; Zachow et al., 2005]. In addition, SSMs are used to
67 model the whole body [Magnenat-thalmann et al., 2004] or a part, such as the scalp [Lacko et al.,
68 2015] to provide a design space for clothing for example.

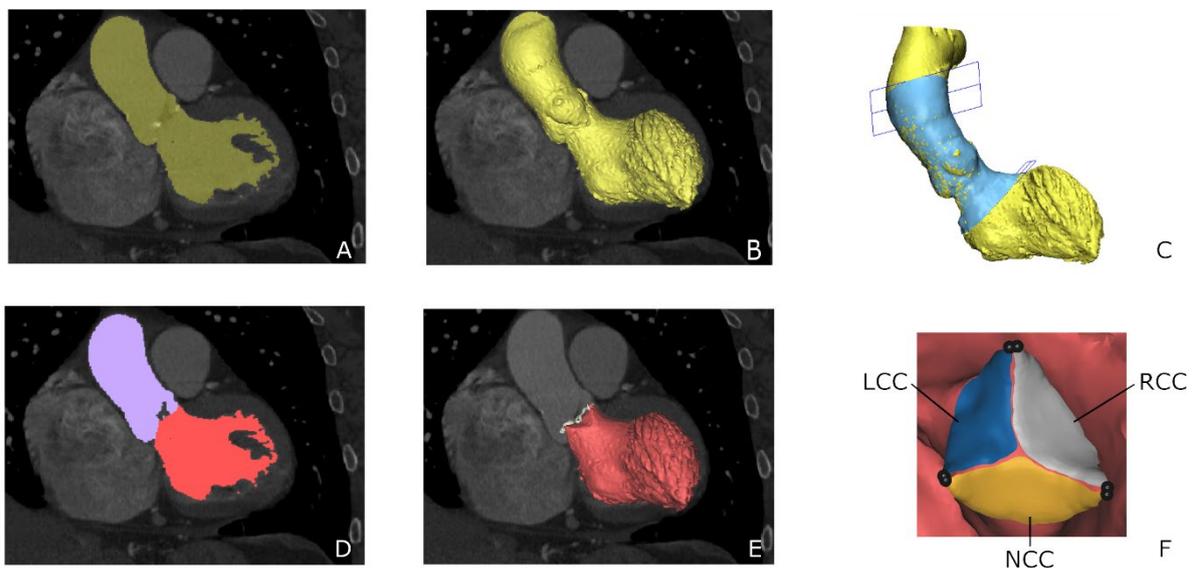
69 **Materials & method**

70 89 patients received a contrast enhanced ECG-triggered, end diastolic CT scan prior to the TAVI
71 procedure in which a CoreValve was implanted. The scans were performed on a 64-slice GE
72 lightspeed (General Electric Company, Easton Turnpike, Fairfield, CT, USA) with a spatial resolution of
73 0.6 mm. All patients received an intravenous injection of 80ml of contrast agent at a flow rate of 4
74 ml/s, followed by 30 ml at 2.5 ml/s. The minimum diameter, the maximum diameter, the diameter
75 based on the perimeter and the diameter based on the surface area of the aortic annulus were taken
76 into account to determine the size of the implant [Schultz et al., 2010]. One patient received a 23 mm
77 implant, 23 patients received a 26 mm implant, 50 patients received a 29 mm implant and 15
78 received a 31 mm implant. AR was graded immediately after the implantation on the procedural
79 angiography, as described by Seller et al. [Sellers et al., 1964].

80 ***Image analysis***

81 Segmentation was performed on the pre-operative scans using Mimics 16.0 (Materialise N.V.,
82 Leuven, Belgium) to extract the 3D shape of the aortic root. The left ventricle and aorta were
83 extracted from the CT images using a threshold on the contrast agent in the blood, as depicted in
84 figure 1A. The left ventricle and aorta were separated from connected structures and each other
85 using a graph cut algorithm [Boykov and Kolmogorov, 2004] (figure 1D). 3D triangulated parts of the
86 blood volume and the separate chambers were created using a marching cubes triangulation (figure
87 1B and E). Smoothing was performed to remove noise and small substructures. The aortic root was

88 cut from the 3D part to create a tubular model using a plane perpendicular to the centerline at the
89 level of the mitral valve and the aortic arch (figure1C). Three leaflets were created starting from the
90 left ventricle model by smoothing and disconnecting the valve surface (figure 1E). Finally, the
91 calcifications were extracted using a threshold of 800 Hounsfield units, which is a consistently higher
92 intensity compared to the contrast agent in the majority of patients. A region grow was applied to
93 select the calcifications attached to the aortic valve, followed by a marching cubes triangulation to
94 convert the pixels into a 3D model. Finally, the internal volume of the calcifications was computed.



95

96 *Figure 1: ((A) Coronal view of a computed tomography scan with the left ventricle and aorta blood*
97 *pool colored yellow. (B) Three dimensional (3D) reconstruction of the geometry. (C) The tubular aortic*
98 *root model. (D) Split of the blood pool in aorta and left ventricle. (E) The 3D reconstruction of the left*
99 *ventricle and aortic valve calcifications. (F) The individual leaflets and commissure points used in the*
100 *shape model generation.*

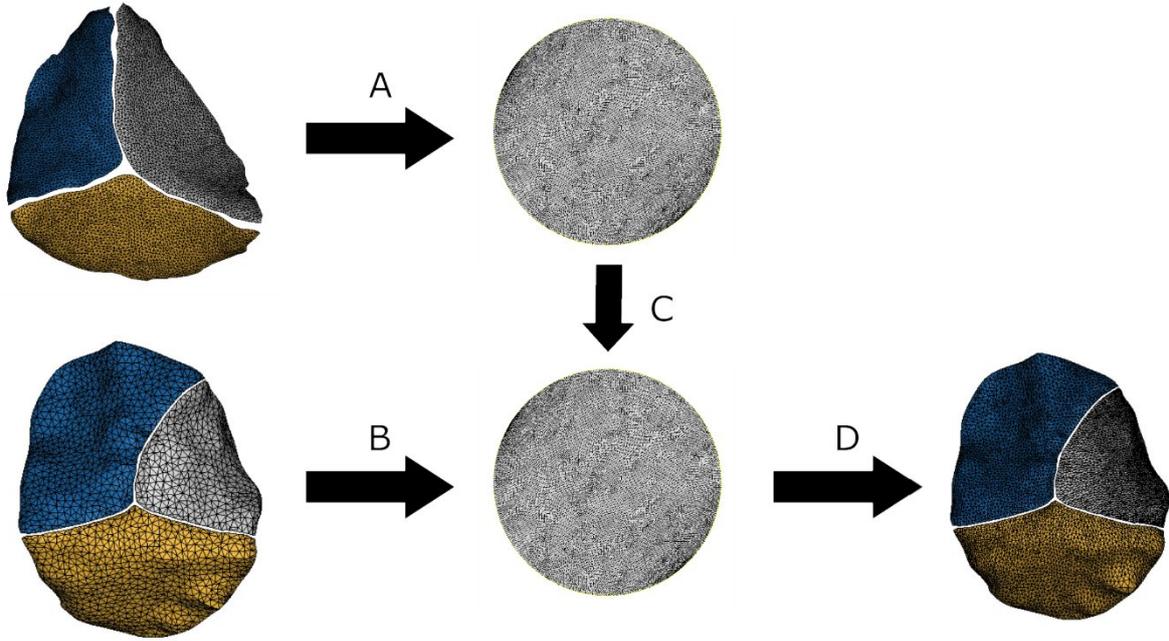
101 **Generate the shape model**

102 The next step was to establish correspondence in the population of surface models. The tubular
103 shape of the aortic root and the leaflets were corresponded using two different methods. The
104 construction of the correspondence for tubular surfaces was described in detail in [Huysmans et al.,

105 2010]. Briefly, first the tubular part of each aortic root was mapped to an open-ended cylinder. Next,
106 the shapes were aligned using their principal axes, then the alignment of the parameterization was
107 determined by minimizing the description length of the SSM [Davies et al., 2002]. Finally, both the
108 spatial alignment and the parameterization were optimized simultaneously with respect to the
109 minimum description length.

110 The correspondence in the leaflets was determined using a mapping of each leaflet on a disk with
111 diameter one. The mapping was determined by representing each point on the surface as a linear
112 combination of its neighbors. This resulted in a system of linear equations that has a unique solution,
113 given that the points on the boundary that were positioned on the disk boundary at a relative
114 distance equivalent to the distance along the boundary of the leaflet. The disks were aligned along
115 the section of the boundary between the leaflet commissures which denotes the attachment to the
116 aortic wall. Next, a Laplacian smoothing was performed on the first instance of each of the three
117 leaflets, in order to generate a more uniform mesh for all the leaflets. The smoothing substitutes
118 each point with the average of its neighbors, constructing the master parameterization.

119 Subsequently, the points of this master parameterization were transformed to each patients'
120 leaflets. The transformation is determined by describing the coordinates of the master in function of
121 the triangles of the target leaflet using the disk parameterization of both the target and the master.



122

123 *Figure 2: (A) parameterization of the master leaflet on a disk with diameter 1. (B) Parameterization of*
 124 *a sample leaflet on a disk. (C) Registration of the master parameterization on the sample using the*
 125 *commissure points. (D) Transformation of the corresponding points of the master parameterization to*
 126 *the sample leaflet.*

127 Next, the SSM is built, first the spatial registration derived from the aortic root parameterization was
 128 applied to the leaflets to position them correctly inside each shape. The shapes are represented as a
 129 vector $\mathbf{x}_i = [x_{i,1}, y_{i,1}, z_{i,1}, \dots, x_{i,n}, y_{i,n}, z_{i,n}]$ and put into a matrix as columns. After subtracting the
 130 mean shape $\bar{\mathbf{x}}$,

131
$$\mathbf{A} = [\mathbf{x}_1^T - \bar{\mathbf{x}}^T \dots \mathbf{x}_m^T - \bar{\mathbf{x}}^T]$$

132 a principal component was applied. Each aortic root could then be represented as a sum of the mean
 133 and the weighted principal components:

134
$$\mathbf{x} = \bar{\mathbf{x}} + \mathbf{U}\mathbf{b}$$

135 where \mathbf{x} is a new shape, \mathbf{U} a matrix with the principal components as columns and \mathbf{b} a column vector
 136 of the weights of the principal components.

137 The quality of the SSM was characterized using the compactness, generalization ability and specificity
138 [Huysmans et al., 2010; Styner et al., 2003]. The compactness was calculated as the percentage of
139 the total variance present in the first n principal components:

$$140 \quad C(n) = \frac{\sum_{i=1}^n \lambda_i}{\sum_{i=1}^m \lambda_i}$$

141 where λ_i is the variance of the i th principal component and m the total number of principal
142 components. The generalization ability is a measure for the ability of the SSM to approximate a
143 shape which is not in the model and was calculated using a leave-one-out experiment. The specificity
144 measures how close random samples, generated by the model are to the shapes in the population.

145 ***Sizing classification***

146 The principal component analysis aggregates the total shape variation in a limited number of
147 independent principal components. Therefore, a good approximation of a shape can be obtained
148 using only a limited number of the principal components. In the aortic root model 95% of all variation
149 was described by the first 20 principal components.

150 The patients were divided in two subgroups: the first group had AR grade 0 – 1, the second group
151 had an AR grade ≥ 2 . The first group was used to train two different classification algorithms, a
152 generalized linear model and a random forest classifier of 10 trees with a maximum depth of 5
153 branch points [Pedregosa et al., 2011]. The weights of the first 20 principal components and the
154 aortic valve calcification volume were used as parameters to describe each patient. In a first step,
155 these parameters were ranked using an analysis of variance to determine which parameters
156 discriminated most between the size groups. Next, both classification algorithms were trained
157 incrementally including additional parameters. Each instance of the models was cross-validated by
158 dividing the training set in 8 subgroups, then the model was trained excluding one group. The sizes of
159 this remaining groups of patients were fitted and compared to their true size. When performed for
160 each subgroup this resulted in a mean accuracy score and a standard error.

161 Finally, the best scoring classifier of each type was applied to the patients with an AR grade ≥ 2 . A chi-
162 squared test was used to test whether the classification of the patients with an AR grade ≥ 2 was
163 significantly different from the training set.

164 The analysis was performed in python 3.5 using the scikit-learn 0.17 machine learning module
165 [Pedregosa et al., 2011].

166 **Results**

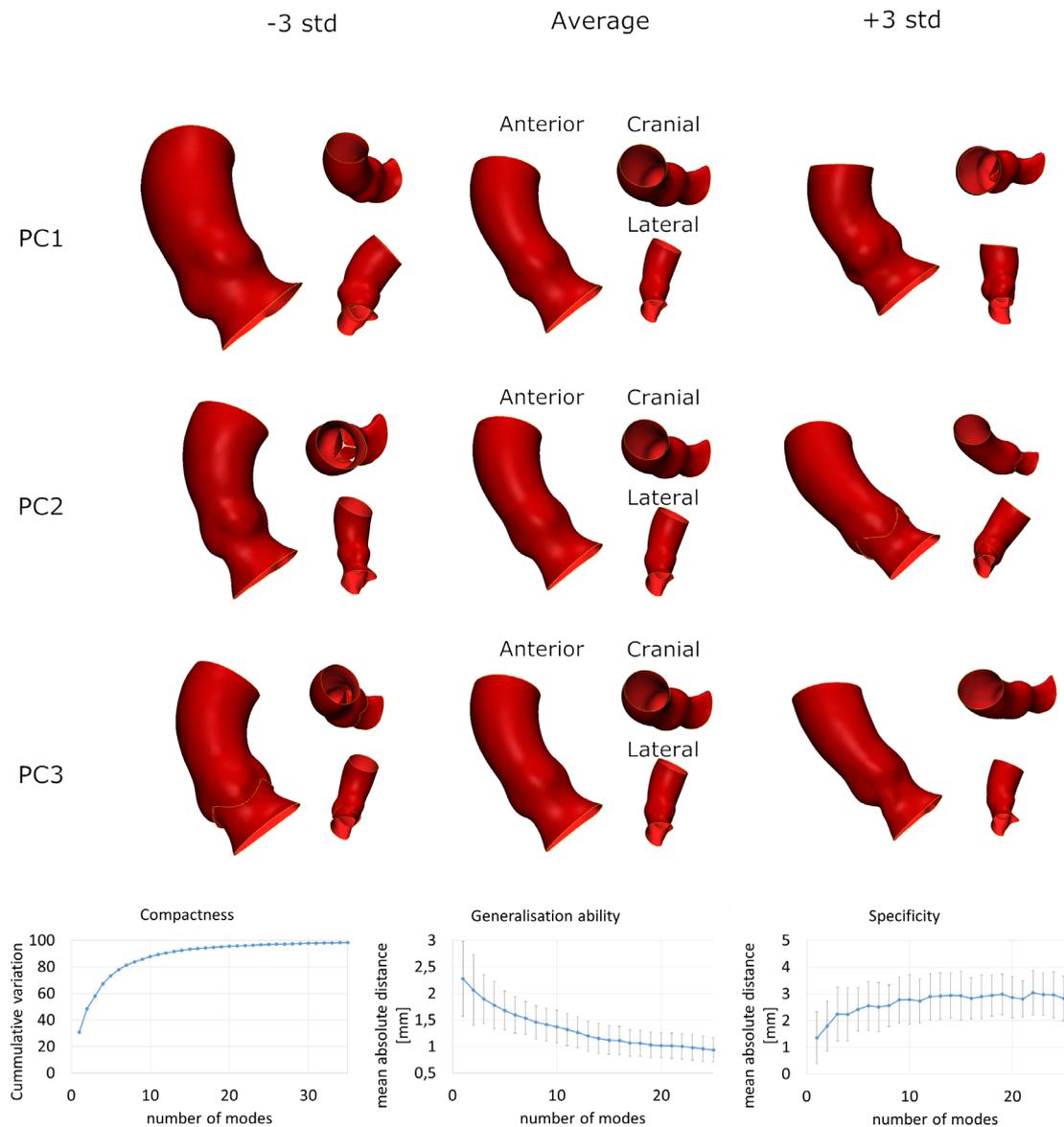
167 Of the 89 patients, 2 parameterizations failed and 2 did not receive an angiographic AR evaluation
168 immediately after implantation. The remaining 85 patients were included in the analysis, 48 (57%)
169 patients had an AR grade 0 or 1, 37 (43%) had an AR grade ≥ 2 . Table 1 gives an overview of the
170 distribution of the implant sizes in the population divided according to the severity of AR. The median
171 aortic valve calcification volume was 195.8 mm^3 , with the 25% quartile at 83.3 mm^3 and the 75%
172 quartile at 335.7 mm^3 .

173 *Table 1: Implant sizes distribution in the patient population*

CoreValve size [mm]	AR grade 0-1 (n = 48)	AR grade ≥ 2 (n = 37)
23		1
26	12 (25%)	9 (24%)
29	30 (62.5%)	18 (49%)
31	6 (12.5%)	9 (24%)

174

175 ***Statistical shape model***



176

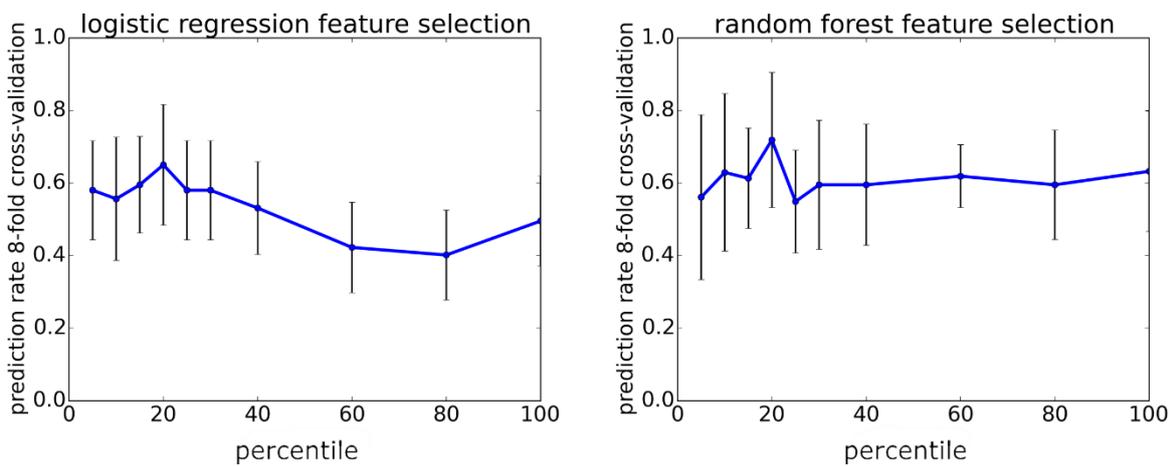
177 *Figure 3: A visualization of the first 3 principal components (PC) of the statistical shape model, the*
 178 *anterior, cranial and lateral view of the average ± 3 standard deviations are shown. At the bottom,*
 179 *the model characteristics are shown, from left to right, the compactness, generalization ability ± 1*
 180 *standard deviation and specificity ± 1 standard deviation.*

181 Figure 3 depicts first 3 principal components and the compactness, generalization ability and
 182 specificity of the SSM. The principal components have no intuitive, single physical interpretation such
 183 as volume, size or angular deformation for example. The compactness analysis shows that 48% of all
 184 shape variation is combined in the first two principal components, 87% of the variation is in the first

185 10 principal components and 95% of the variation is in the 20 first principal components. The
 186 generalization ability shows that using the first 20 principal components, a new shape can be
 187 approximated with a mean absolute distance of 1 mm. Finally, randomly generated shapes are at a
 188 mean absolute distance of approximately 3 mm from the closest shape in the training population.

189 **Sizing algorithm**

190 Figure 4 depicts the result of the parameter selection analysis, both classification algorithms perform
 191 best using the 20% most discriminating features. These features are principal component 1, 10, 7 and
 192 2 respectively. Figure 5 depicts principal components 7 and 10, principal components 1 and 2 are
 193 shown in figure 3.



194
 195 *Figure 4: the result of the 8-fold cross-validation and standard error for both classification algorithms*
 196 *as a function of the percentile of parameters included in the model*

197 The linear model assigns 69% of the included patients the same size as they had implanted, the
 198 random forest classifier assigns the same size to 96% of the patients included in the model. Table 2
 199 gives an overview of the cross-validation results for both models. It shows that both models do not
 200 assign a 31 mm implant to any of the patients in the cross-validation.

201 *Table 2: Cross-validation of the training set, showing the number of correctly assigned sizes*

CoreValve size [mm]	Linear model (60%)	Random forest classifier (65%)
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26 (n = 12)	4 (33%)	7 (58.3%)
29 (n = 30)	25 (83%)	24 (80%)
31 (n = 6)	0	0

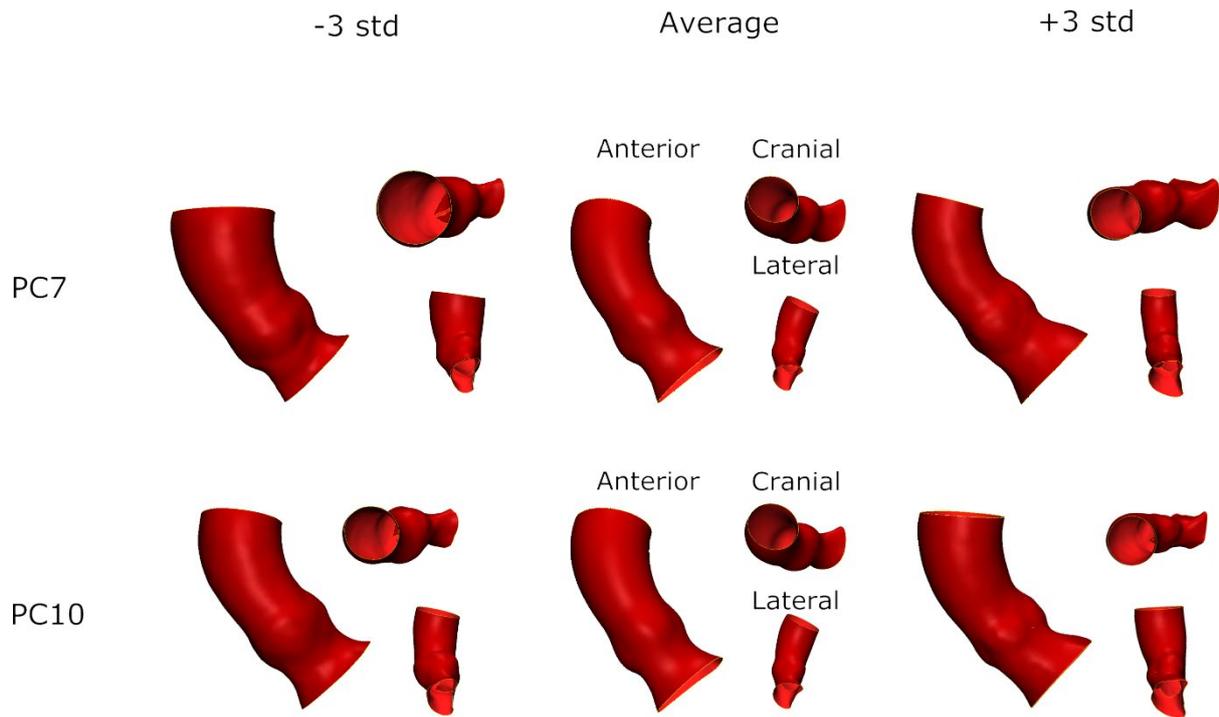
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203 Table 3 contains the results of both classification algorithms on the patients with $AR \geq 2$. The average
 204 difference between the predicted size and the implanted size is -0.14 ± 2.04 mm for the random
 205 forest classifier and -0.19 ± 1.90 mm for the linear model classifier. The random forest classifier
 206 assigned the same size to 16 out of 36 patients with $AR \geq 2$, 10 patients got one size larger, 1 got two
 207 sizes larger and 9 got one size smaller. The generalized linear model assigned the same size to 18
 208 patients, one size larger to 12 patients and one size smaller to 6 patients. In 72% of the patients both
 209 models assigned the same size. However, the classification of the patients with $AR \geq 2$ is not
 210 significantly different from the cross-validation of the training set (random forest classifier: $p = 0.28$).
 211 Also, specifically for the 29 mm size subgroups there is no statistical significant difference (random
 212 forest classifier: $p = 0.33$).

213 *Table 3: Implant sizes assigned to patients with $AR \geq 2$*

CoreValve size [mm]	Linear model (46%)	Random forest classifier (43%)
26 (n = 9)	2 (22%)	3 (33%)
29 (n = 18)	14 (78%)	11 (61%)
31 (n = 9)	1 (11%)	2 (22%)

214



215

216 *Figure 5: A visualization of principal components (PC) 7 and 10 of the statistical shape model, the*
 217 *anterior, cranial and lateral view of the average ± 3 standard deviations are show.*

218 **Discussion**

219 The Goal of this research was to construct a method to base the sizing of the aortic root for implant
 220 selection on its 3D shape. The method described in this research used the weights associated with
 221 the principal components of a SSM as a parametric description of the 3D shapes in the population.
 222 The weights and the volume of calcification of the aortic valve were used as parameters in two
 223 classification algorithms: a generalized linear model and a random forest classifier. The classification
 224 algorithms were trained using the patients who did not suffer from AR or only suffered from mild AR
 225 (grade 1) after implantation of the device, assuming that those patients received the optimal implant
 226 size. Especially, the random forest classifier performed well, assigning the correct size to 96% of the
 227 patients included in the training set. Cross-validation showed that the subgroup of patients with a 31
 228 mm implant did not contain enough patients to robustly train the algorithm when some were left
 229 out. Applying the trained algorithms to the patients with moderate to severe AR showed a lower

230 amount of patients being assigned the same size as was implanted, however the difference was not
231 statistically significant.

232 Since the ideal implant size for each patient was in fact unknown it was impossible to determine
233 whether the assigned sizes would improve the amount of regurgitation after the implantation. A
234 potential method to compare the amount of AR with the implanted size versus the assigned size
235 would be to simulate the implantation of both and virtually evaluate the amount of AR that would
236 occur as described by [de Jaegere et al., 2016; Schultz et al., 2016].

237 The inclusion of the leaflets caused some artifacts in the SSM, as can be seen in principal component
238 3 in figure 3 where the leaflets protrude through the aortic wall in the -3 standard deviation extreme.
239 This is most likely due to the separate registration and parameterization of both leaflets and the
240 aortic root. Therefore, there is no physical connection in the model, nor correspondence, between
241 the leaflet border and the aortic root. This can only be solved by constructing the correspondences of
242 the leaflets and the wall as a whole.

243 The principal components describing the shape variation that were used in the classification
244 algorithms had no straightforward physical interpretation. The first principal component contains a
245 general size variation as can be seen in figure 3 and principal component 7 shows a local variation of
246 the size of the left ventricular outflow. A potential method to make the model more intuitive is to
247 associate interpretable morphological measures with the principal components through correlation
248 as described by [Lacko et al., 2015].

249 In order to determine the size of a new patient's valve, the shape model needs to be fitted on the
250 aortic root of that patient. The fit results in the weights associated with the principal components
251 describing the new patient, these weights are then used in the classification algorithm. Two
252 approaches can be devised to perform the fitting, either based on the displacement of corresponding
253 points, therefore, the surface model of the aortic root needs to be corresponded with the SSM, or
254 based on a fit of the surface using a non-rigid registration algorithm.

255 In conclusion, the proposed method was capable of accurately and semi-automatically assigning an
256 implant size, using a CT scan of the aortic root. Additional data of patients in the less prevalent
257 implant sizes is needed to make the algorithm more robust. In addition, the alternative sizes assigned
258 to patients with moderate to severe AR need to be assessed to determine whether the occurrence of
259 regurgitation diminishes.

260 **Acknowledgements**

261 This work was supported in part by a PhD grant from the *agency for innovation through science and*
262 *technology (IWT)* of the Flemish government.

263 **Conflicts of interest statement**

264 Prof. Dr. Johan Bosmans is part-time clinical proctor for Medtronic. Prof. Dr. ir. Jos Vander Sloten is a
265 member of the Board of Directors of Materialise N.V. and a shareholder. Dr. ir. Peter Mortier is CTO
266 and shareholder of FEops N.V. The remaining authors have no conflicts of interest to declare.

267 **References**

- 268 Besl, P., McKay, N., 1992. A Method for Registration of 3-D Shapes. *IEEE Trans. Pattern Anal. Mach.*
269 *Intell.*
- 270 Bose, A.K., Aitchison, J.D., Dark, J.H., 2007. Aortic valve replacement in octogenarians. *J.*
271 *Cardiothorac. Surg.* 2, 33–5.
- 272 Boykov, Y., Kolmogorov, V., 2004. An experimental comparison of min-cut/max-flow algorithms for
273 energy minimization in vision. *IEEE Trans. Pattern Anal. Mach. Intell.* 26, 1124–37.
- 274 Buzzatti, N., Maisano, F., Latib, A., Cioni, M., Taramasso, M., Mussardo, M., Colombo, A., Alfieri, O.,
275 2013. Computed tomography-based evaluation of aortic annulus, prosthesis size and impact on
276 early residual aortic regurgitation after transcatheter aortic valve implantation. *Eur. J.*
277 *Cardiothorac. Surg.* 43, 43–50; discussion 50–1.
- 278 Davies, R.H., Twining, C.J., Cootes, T.F., Waterton, J.C., Taylor, C.J., 2002. A minimum description
279 length approach to statistical shape modeling. *IEEE Trans. Med. Imaging* 21, 525–537.
- 280 de Jaegere, P., De Santis, G., Rodriguez-olivares, R., Bosmans, J., Bruining, N., Dezutter, T., Rahhab, Z.,
281 El Faquir, N., Collas, V., Bosmans, B., Verheghe, B., Ren, C., Geleinese, M., Schultz, C., van
282 Mieghem, N., De Beule, M., Mortier, P., 2016. Patient-specific computer modeling to predict
283 aortic regurgitation after Transcatheter Aortic Valve Replacement. *JACC. Cardiovasc. Interv.* 9,
284 508–512.
- 285 Détaint, D., Lepage, L., Himbert, D., Brochet, E., Messika-Zeitoun, D., Lung, B., Vahanian, A., 2009.
286 Determinants of significant paravalvular regurgitation after transcatheter aortic valve:
287 implantation impact of device and annulus incongruence. *JACC. Cardiovasc. Interv.* 2, 821–7.
- 288 Ferrarini, L., Palm, W.M., Olofsen, H., Van Der Landen, R., Van Buchem, M.A., Reiber, J.H.C.,
289 Admiraal-Behloul, F., 2008. Ventricular shape biomarkers for Alzheimer’s disease in clinical MR
290 images. *Magn. Reson. Med.* 59, 260–267.

291 Hayashida, K., Bouvier, E., Lefèvre, T., Hovasse, T., Morice, M.-C., Chevalier, B., Romano, M., Garot,
292 P., Mylotte, D., Farge, A., Donzeau-Gouge, P., Cormier, B., 2012. Impact of CT-guided valve
293 sizing on post-procedural aortic regurgitation in transcatheter aortic valve implantation.
294 *EuroIntervention* 8, 546–55.

295 Holmes, D.R., Mack, M.J., Kaul, S., Agnihotri, A., Alexander, K.P., Bailey, S.R., Calhoon, J.H., Carabello,
296 B.A., Desai, M.Y., Edwards, F.H., Francis, G.S., Gardner, T.J., Kappetein, A.P., Linderbaum, J.A.,
297 Mukherjee, C., Mukherjee, D., Otto, C.M., Ruiz, C.E., Sacco, R.L., Smith, D., Thomas, J.D., 2012.
298 2012 ACCF/AATS/SCAI/STS Expert Consensus Document on Transcatheter Aortic Valve
299 Replacement. *J. Am. Coll. Cardiol.* 59, 1200–1254.

300 Huysmans, T., Sijbers, J., Verdonk, B., 2010. Automatic construction of correspondences for tubular
301 surfaces. *IEEE Trans. Pattern Anal. Mach. Intell.* 32, 636–51.

302 Jilaihawi, H., Kashif, M., Fontana, G., Furugen, A., Shiota, T., Friede, G., Makhija, R., Doctor, N., Leon,
303 M.B., Makkar, R.R., 2012. Cross-sectional computed tomographic assessment improves
304 accuracy of aortic annular sizing for transcatheter aortic valve replacement and reduces the
305 incidence of paravalvular aortic regurgitation. *J. Am. Coll. Cardiol.* 59, 1275–1286.

306 Kodali, S.K., Williams, M.R., Smith, C.R., Svensson, L.G., Webb, J.G., Makkar, R.R., Fontana, G.P.,
307 Dewey, T.M., Thourani, V.H., Pichard, A.D., Fischbein, M., Szeto, W.Y., Lim, S., Greason, K.L.,
308 Teirstein, P.S., Malaisrie, S.C., Douglas, P.S., Hahn, R.T., Whisenant, B., Zajarias, A., Wang, D.,
309 Akin, J.J., Anderson, W.N., Leon, M.B., 2012. Two-year outcomes after transcatheter or surgical
310 aortic-valve replacement. *N. Engl. J. Med.* 366, 1686–95.

311 Lacko, D., Huysmans, T., Parizel, P.M., De Bruyne, G., Verwulgen, S., Van Hulle, M.M., Sijbers, J., 2015.
312 Evaluation of an anthropometric shape model of the human scalp. *Appl. Ergon.* 48, 70–85.

313 Magnenat-thalmann, N., Seo, H., Cordier, F., 2004. Automatic Modeling of Virtual Humans and Body
314 Clothing. *J. Comput. Sci. Technol.* 19, 575–584.

315 Paulsen, R.R., Larsen, R., Nielsen, C., Laugesen, S., Ersbøll, B., 2002. Building and testing a statistical
316 shape model of the human ear canal. *Med. Image Comput. Comput. Interv.* 2489, 373–380.

317 Pedregosa, F., Varoquaux, G., Gramfort, A., Michel, V., Thirion, B., Grisel, O., Blondel, M.,
318 Prettenhofer, P., Weiss, R., Dubourg, V., Vanderplas, J., Passos, A., Cournapeau, D., Brucher, M.,
319 Perrot, M., Duchesnay, É., 2011. Scikit-learn: Machine Learning in Python. *J. Mach. Learn. Res.*
320 12, 2825–2830.

321 Ren, Y., Wang, L., Gao, Y., Tang, Z., Chen, K.C., Li, J., Shen, S.G.F., Yan, J., Lee, P.K.M., Chow, B., Xia,
322 J.J., Shen, D., 2014. Estimating anatomically-correct reference model for craniomaxillofacial
323 deformity via sparse representation. *Lect. Notes Comput. Sci. (including Subser. Lect. Notes*
324 *Artif. Intell. Lect. Notes Bioinformatics)* 8674 LNCS, 73–80.

325 Schultz, C., Rodriguez-olivares, R., Bosmans, J., Lefèvre, T., De Santis, G., Bruining, N., Collas, V.,
326 Dezutter, T., Bosmans, B., Rahhab, Z., El Faquir, N., Watanabe, Y., Segers, P., Verhegghe, B.,
327 Chevalier, B., van Mieghem, N., De Beule, M., Mortier, P., de Jaegere, P., 2016. Patient-specific
328 image-based computer simulation for the prediction of valve morphology and calcium
329 displacement after TAVI with the Medtronic CoreValve and the Edwards SAPIEN valve.
330 *EuroIntervention* 11, 1044–1052.

331 Schultz, C.J., Moelker, A., Piazza, N., Tzikas, A., Otten, A., Nuis, R.J., Neefjes, L.A., Van Geuns, R.J., De
332 Feyter, P., Krestin, G., Serruys, P.W., De Jaegere, P.P.T., 2010. Three dimensional evaluation of
333 the aortic annulus using multislice computer tomography: Are manufacturer’s guidelines for
334 sizing for percutaneous aortic valve replacement helpful? *Eur. Heart J.* 31, 849–856.

335 Sellers, R.D., Levy, M.J., Amplatz, K., Lillehei, C.W., 1964. Left retrograde cardioangiography in
336 acquired cardiac disease: Technique, indications and interpretations in 700 Cases. *Am. J.*
337 *Cardiol.* 14, 437–447.

338 Styner, M. a, Rajamani, K.T., Nolte, L.-P., Zsemlye, G., Székely, G., Taylor, C.J., Davies, R.H., 2003.

339 Evaluation of 3D Correspondence Methods for Model Building. *Proc. Inf. Process. Med. Imaging*
340 18, 63–75.

341 Thourani, V.H., Ailawadi, G., Szeto, W.Y., Dewey, T.M., Guyton, R. a, Mack, M.J., Kron, I.L., Kilgo, P.,
342 Bavaria, J.E., 2011. Outcomes of surgical aortic valve replacement in high-risk patients: a
343 multiinstitutional study. *Ann. Thorac. Surg.* 91, 49–55; discussion 55–6.

344 Wang, Y., Yuan, L., Shi, J., Greve, A., Ye, J., Toga, A.W., Reiss, A.L., Thompson, P.M., 2013. Applying
345 tensor-based morphometry to parametric surfaces can improve MRI-based disease diagnosis.
346 *Neuroimage* 74, 209–230.

347 Zachow, S., Lamecker, H., Elsholtz, B., Stiller, M., 2005. Reconstruction of mandibular dysplasia using
348 a statistical 3D shape model. *Int. Congr. Ser.* 1281, 1238–1243.

349 **Tables:**

350 **Figures:**